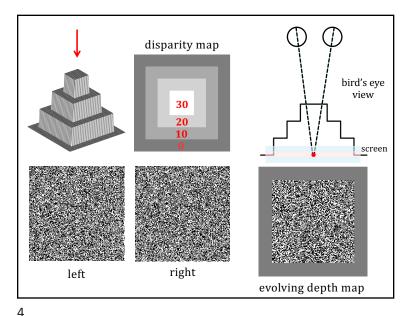
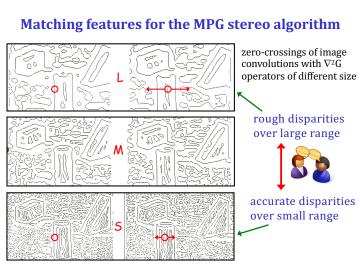


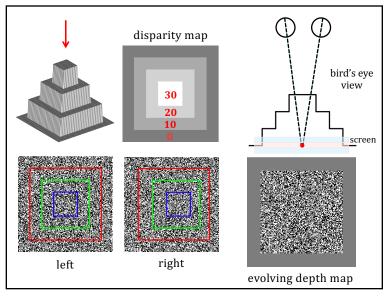
Key points about human stereo vision

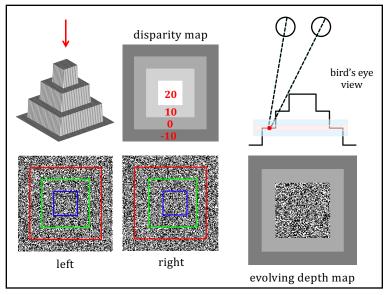
- Image features used for matching: ~simple, precise locations, similar between left/right images
- At a single fixation, match features over a limited range of horizontal & vertical disparity
- Eye movements used to match features over larger range of horizontal & vertical disparity
- Stereo matching is performed at multiple scales
 - · stereo information at different scales is processed independently
 - information at coarser scales can be "fused" over a larger range of stereo disparity
 - information at coarser scales can trigger vergence eye movements that narrow the range of stereo disparity in the region of view

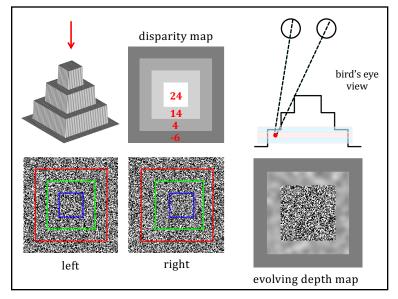
2

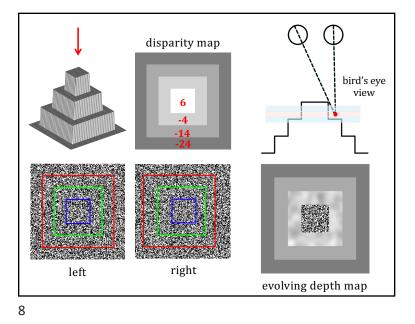


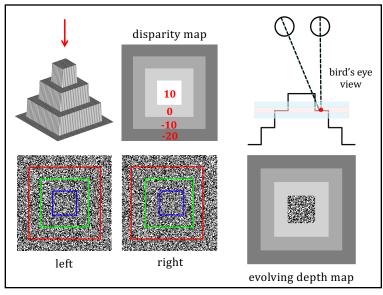


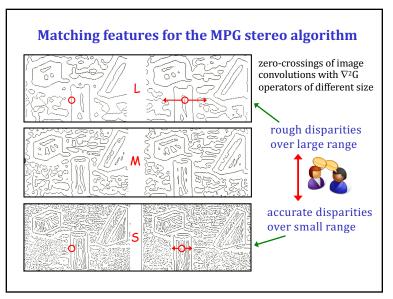


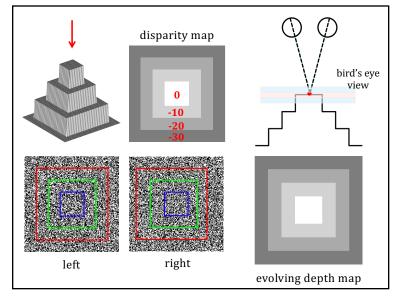








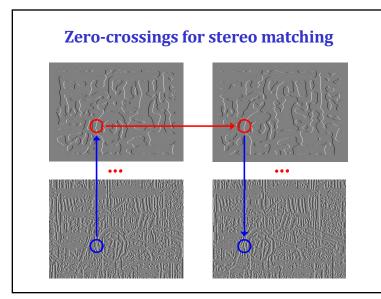




Stereo images (Tsukuba, CMU)







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Simplified MPG algorithm, Part 1

To determine initial correspondence:

(1) Find zero-crossings using a $\nabla^2 G$ operator with central positive width w

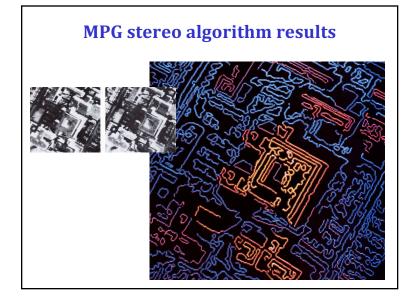
(2) For each horizontal slice:

(2.1) Find the nearest neighbors in the right image for each zero-crossing fragment in the left image

(2.2) Find the nearest neighbors in the left image for each zerocrossing fragment in the right image

(2.3) For each pair of zero-crossing fragments that are closest neighbors of one another, let the right fragment be separated by δ_{initial} from the left. Determine whether δ_{initial} is within the matching tolerance, m. If so, consider the zero-crossing fragments matched with disparity δ_{initial}

m = w/2



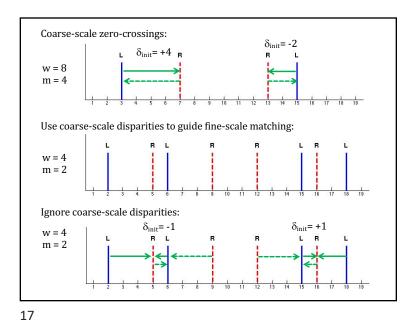
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Simplified MPG algorithm, Part 2

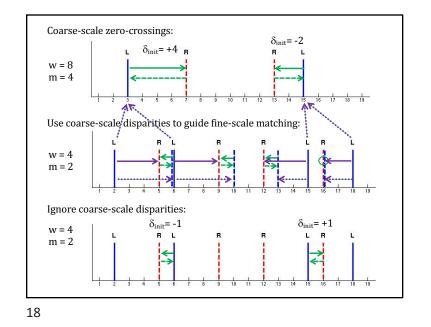
To determine final correspondence:

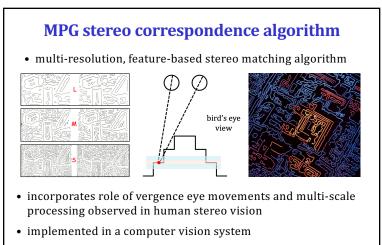
(1) Find zero-crossings using a $\nabla^2 G$ operator with reduced width w/2 (2) For each horizontal slice:

- (2.1) For each zero-crossing in the left image:
 - (2.1.1) Determine the nearest zero-crossing fragment in the left image that matched when the $\nabla^2 G$ operator width was w
 - (2.1.2) Offset the zero-crossing fragment by a distance $\delta_{initiab}$ the disparity of the nearest matching zero-crossing fragment found at the lower resolution with operator width w
- (2.2) Find the nearest neighbors in the right image for each zero-crossing fragment in the left image
- (2.3) Find the nearest neighbors in the left image for each zero-crossing fragment in the right image
- (2.4) For each pair of zero-crossing fragments that are closest neighbors of one another, let the right fragment be separated by δ_{new} from the left. Determine whether δ_{new} is within the reduced matching tolerance, m/2. If so, consider the zero-crossing fragments matched with disparity $\delta_{final} = \delta_{new} + \, \delta_{initial}$



Coarse-scale zero-crossings: $\delta_{init} = -2$ $L \delta_{init} = +4$ w = 8 m = 4 Use coarse-scale disparities to guide fine-scale matching: $\delta_{\text{final}} = -2$ δ_{final} = -3 δ_{final} = +3 δ_{final} = +3 w = 4 m = 2 12 13 16 Ignore coarse-scale disparities: $\delta_{init} = -1$ δ_{init} = +1 w = 4 в L m = 2





• simplified version can be hand simulated to better understand interactions across scales

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