

CS 251 Principles of Programming Languages

Discuss: Programming Language

- What is a PL?
- What goes into the design of a PL?
- Why are new PLs created? Why are there so many?
 - TIOBE
- Why are certain PLs popular?
 - socio PLT

Discuss: Programming Language

- What is a PL?
- What goes into the design of a PL?
- Why are new PLs created? What are they used for?
- What does a P in a given L look like as symbols?
- What does a P in a given L mean?
- How is a PL implemented?

What? Structure and Semantics

A programming language is defined by:

- Structure: what are the primitive structures of a language?
 - Abstract syntax: the abstract structure of programs, independent of any concrete representation
- Semantics: what do the structures of a language *mean*?
 - Type systems: what programs have meaning?
 - Evaluation rules: what is the result or effect of evaluating each language structure or a whole program?

How? Representation, Analysis, and Implementation

The real world demands:

- Representation: how do we represent programs for humans and machines?
 - Concrete syntax: the symbols used to represent programs physically as input and output for humans or machines
- Implementation: how can we evaluate programs in the language?
 - How can we evaluate programs in the language on a physical computer system?
 - How can we optimize the performance of program execution?
- Analysis: How can we decide whether a given input constitutes a valid program? avoids simple data mismatch errors?

Why? Who? When? Where? Design and Application

- Historical context
- Motivating applications
 - Lisp: symbolic computation, logic, AI, experimental programming
 - ML: theorem-proving, case analysis, type system
 - C: Unix operating system
 - Simula: simulation of physical phenomena, operations, objects
 - Smalltalk: communicating objects, user-programmer, pervasiveness
- Design goals, implementation constraints
 - performance, productivity, reliability, modularity, abstraction, extensibility, strong guarantees, ...
- Well-suited to what sorts of problems?

```

quicksort :: Ord a => [a] -> [a]
quicksort [] = []
quicksort (p:xs) = (quicksort lesser) ++ [p] ++ (quicksort greater)
  where
    lesser = filter (< p) xs
    greater = filter (>= p) xs

```

```

void qsort(int a[], int lo, int hi)
{
    int h, l, p, t;

    if (lo < hi) {
        l = lo;
        h = hi;
        p = a[hi];

        do {
            while ((l < h) && (a[l] <= p))
                l = l+1;
            while ((h > l) && (a[h] >= p))
                h = h-1;
            if (l < h) {
                t = a[l];
                a[l] = a[h];
                a[h] = t;
            }
        } while (l < h);
        a[h] = a[l];
        a[l] = p;

        qsort(a, lo, l-1);
        qsort(a, l+1, hi);
    }
}

```

Computability

- Computable: $f(x) = x + 1$, for natural numbers
 - addition algorithm
- Uncomputable functions exist!

Turing-completeness

- partial recursive functions
- Turing machines
- lambda calculus
- ... general-purpose programming languages
- ... all general-purpose programming languages are "the same".

Expressiveness and Power

- About:
 - ease
 - elegance
 - clarity
 - modularity
 - abstraction
 - ...
- Not about: computability
- Different problems, different languages
 - Facebook or web browser in assembly language?

Halting Problem

- $\text{Halt}(P,x)$: Does program P halt (i.e., finish after a finite number of steps and return a result) when run on input, x?
- Why do we care?
 - Canonical undecidable problem.
 - **BIG** implications for what we can and cannot decide about programs.

Hand-wavy intuition

- Run it for 100 steps. Did it halt?
- Run it for 1000 steps. Did it halt?
- ...
- Program could always run at least one step longer than we check.

Proof: Halting Problem Undecidable

- Proof by contradiction, diagonalization.
- Suppose $\text{Halt}(P, x)$ solves the halting problem
 - halts on all inputs and returns true if running $P(x)$ will halt and false if it will not.
- Define $\text{Sly}(P)$ as the following program:
 - Run $\text{Halt}(P, P)$. This will always halt and return a result.
 - If the result is true, loop forever, otherwise halt.
- So...
 - $\text{Sly}(P)$ will run forever if $P(P)$ would halt and
 - $\text{Sly}(P)$ will halt if $P(P)$ would run forever.
 - (Not running $P(P)$, just asking what it *would* do if run.)
- Run $\text{Sly}(\text{Sly})$.
 - It first runs $\text{Halt}(\text{Sly}, \text{Sly})$, which halts and returns a result.
 - If the result is true, it now loops forever, otherwise it halts.
- So...
 - If $\text{Sly}(\text{Sly})$ halts, $\text{Halt}(\text{Sly}, \text{Sly})$ told us that $\text{Sly}(\text{Sly})$ would run forever.
 - If $\text{Sly}(\text{Sly})$ runs forever, $\text{Halt}(\text{Sly}, \text{Sly})$ told us that $\text{Sly}(\text{Sly})$ would halt.
- Contradiction!

Interesting things are undecidable.

- Will this Java program ever throw a `NullPointerException`?
- Will this program ever access a given object again?
- Will this program ever send sensitive information over the network?
- Will this program divide by 0?
- Will this program ever run out of memory, starting with a given amount available?
- Will this program ever try to treat an integer as an array?

Proving Undecidability

- To prove a problem P is undecidable, *reduce* a known undecidable problem Q to it:
 - Assume DecideP decides the problem P .
 - Show how to translate an instance of Q to an instance of P , so DecideP decides Q .
 - Contradiction.
- Q is typically the halting problem.

Example: $\text{HaltAny}(Q)$ is Undecidable

- $\text{HaltAny}(Q)$: does program Q halt for ≥ 1 input?
- Suppose that $\text{HaltAny}(Q)$ always halts.
- Solve $\text{Halt}(P, x)$ with HaltAny :
 - Build a new program R that ignores its input and runs $P(x)$.
 - Then $\text{HaltAny}(R)$ returns true if and only if P halts on x .
 - $R(\dots)$ always does the same thing, so if one halts, all do.
- Contradiction!

in practice: be conservative

- "yes", "no", or "I give up. Not sure."
- Type systems
- Garbage Collection
- Program Analysis

```

DEFINE DOESIT HALT (PROGRAM):
{
    RETURN TRUE;
}

```

THE BIG PICTURE SOLUTION
TO THE HALTING PROBLEM

<http://xkcd.com/1266/>

Next time (this time)

- Case study: Lisp/Racket and functional programming
- Clean slate approaching language.

- Mercurial tutorial
- Linux environment -- schedule a session?
- shifted things around because of snow day
- 1st assignment, more slides/notes/code posted later today

Why PL?

- Crossroads of CS
- Understand mindset, apply elsewhere
 - "A good programming language is a conceptual universe for thinking about programming" -- Alan Perlis
 - become a better problem-solver
 - compare languages
 - prepare for future PLs, problems
- Ask why PLs are the way they are
- Implementation: understand cost-convenience trade-offs

How?

- Small scale: focus on essential language dimensions
 - Racket/Lisp, ML, functional programming, historical context
 - core language features
 - interpreters
 - foundations
- Large scale: focus on modularity
 - Different approaches to modularity, trade-offs
 - OOP vs. FP
- Parallelism and Concurrency

